

**The
Calibration Model Used By
The Lab
Does Not Properly Reflect
The Data**

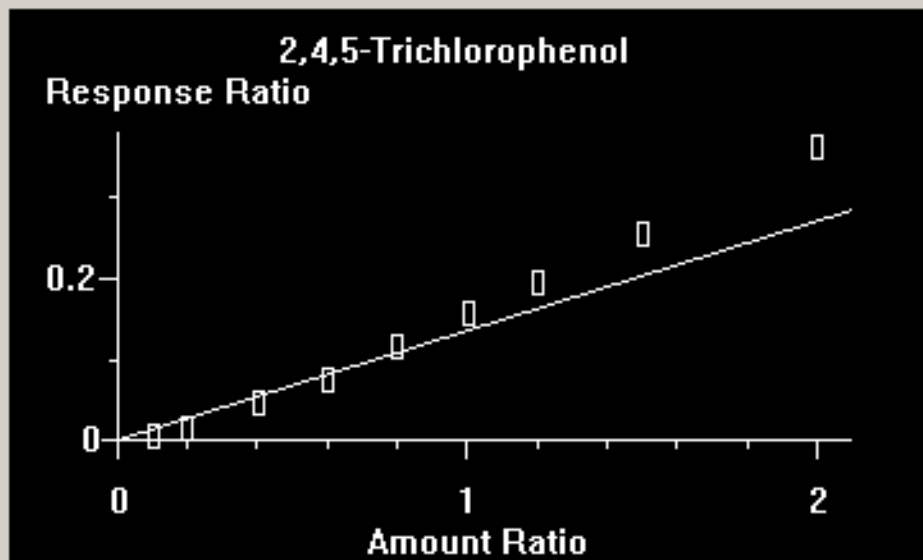


Calculate the standard deviation (RSD) from each mean: $RSD = 100 (SD/M)$. If the RSD of any analyte or surrogate mean RF exceeds 30%, either analyze additional aliquots of appropriate CAL solutions to obtain an acceptable RSD or RFs over the entire concentration range, or take action to improve GC/MS performance.

Ref: EPA Method 525.2, section 10.2.6.1



t Calibration Curve

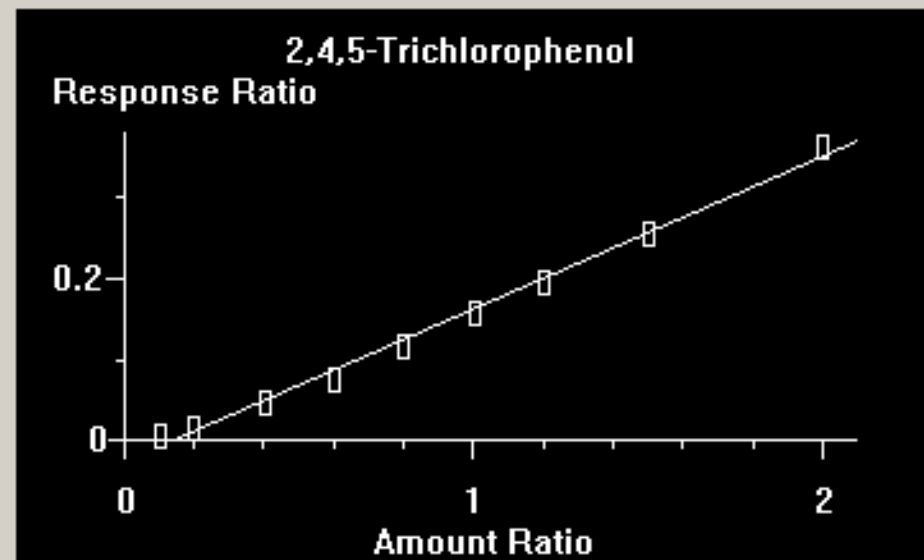


Amount Ratio	Response Ratio
0.10000000	0.00662178
0.20000000	0.01620113
0.40000000	0.04819515
0.60000000	0.07665049
0.80000000	0.11479820
1.00000000	0.15723467
1.20000000	0.19495495

$$\text{Resp Ratio} = 1.34\text{e-}001 * \text{Amt}$$

RF Rel Std Dev = 29.3% Curve Fit: Avg RF

t Calibration Curve



Amount Ratio	Response Ratio
0.10000000	0.00662178
0.20000000	0.01620113
0.40000000	0.04819515
0.60000000	0.07665049
0.80000000	0.11479820
1.00000000	0.15723467
1.20000000	0.19495495

$$\text{Resp Ratio} = 1.87\text{e-}001 * \text{Amt} - 2.57\text{e-}002$$

Coef of Det (r^2) = 0.995 Curve Fit: Linear



NOTE: Method 8000 specifies a linearity criterion of 20% RSD. That criterion pertains to GC and HPLC methods other than GC/MS. Method 8260 requires 15% RSD as evidence of sufficient linearity to employ an average response factor.

Ref: EPA Method 8260B, section 7.3.8.2



In addition to the acceptance criteria found for each of the calibration models, it is recommended that each calibration model be inspected to ensure that the data are representative of the model chosen. This inspection is described in Sec. 11.5.5.1.

Ref: SW-846, Method 8000C, Section 11.5



11.5.5.1 Re-fitting the calibration data back to the model or calculating the % difference is determined by using the following equation:

$$\% \text{ Difference} = \frac{C_c - C_e}{C_e} \times 100$$

where:

C_c = Calculated amount of standard, in mass or concentration units.

C_e = Expected amount of standard, in mass or concentration units.

The absolute value of the percent difference between these two amounts for every calibration level should be less than or equal to 20%.

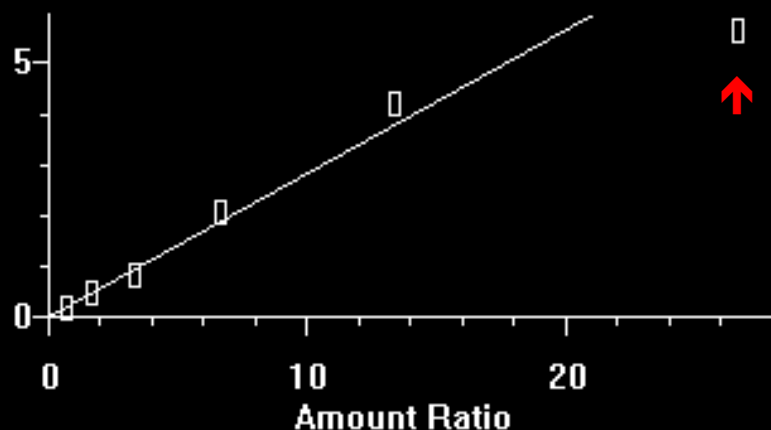
Ref: SW-846, Method 8000C, Section 11.5.5.1



t Calibration Curve

ACETONE

Response Ratio



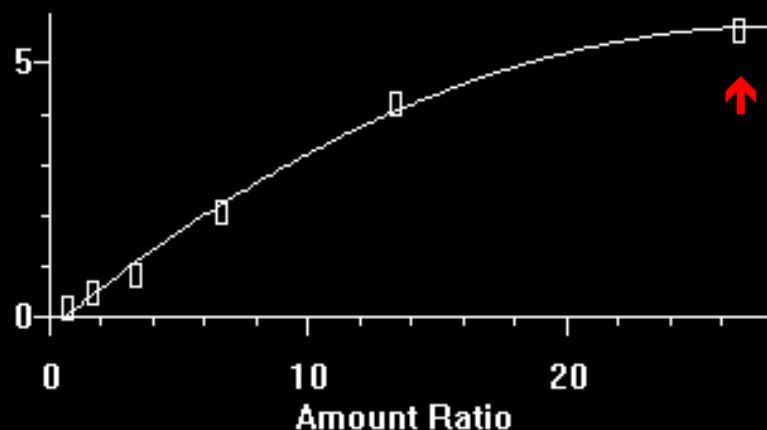
Amount Ratio	Response Ratio
1.6666667	0.50078389
3.3333333	0.82426608
6.6666667	2.06536167
13.3333333	4.21427645
26.6666667	5.65280451
0.6666667	0.20453820

Resp Ratio = $2.82e-001 \times \text{Amt}$
 RF Rel Std Dev = 15.0% Curve Fit: Avg RF

t Calibration Curve

ACETONE

Response Ratio



Amount Ratio	Response Ratio
1.6666667	0.50078389
3.3333333	0.82426608
6.6666667	2.06536167
13.3333333	4.21427645
26.6666667	5.65280451
0.6666667	0.20453820

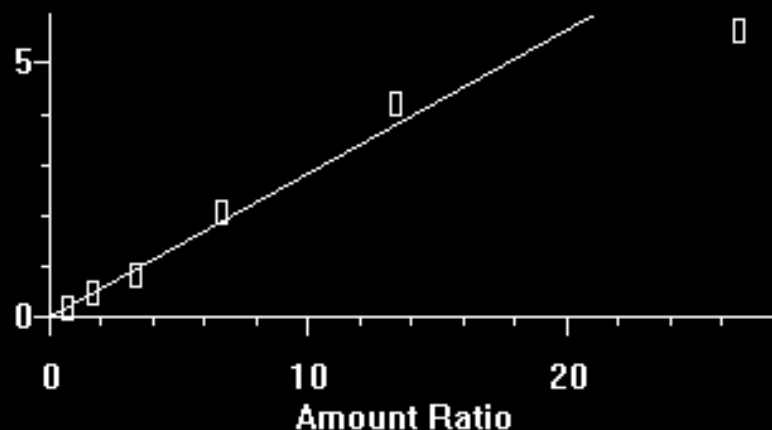
$R = -7.34e-003 A^2 + 4.18e-001 A - 2.45e-001$
 Coef of Det (r^2) = 0.994 Curve Fit: Quadratic

Both Pass 8260B Criteria However Problems With High Standard

t Calibration Curve

ACETONE

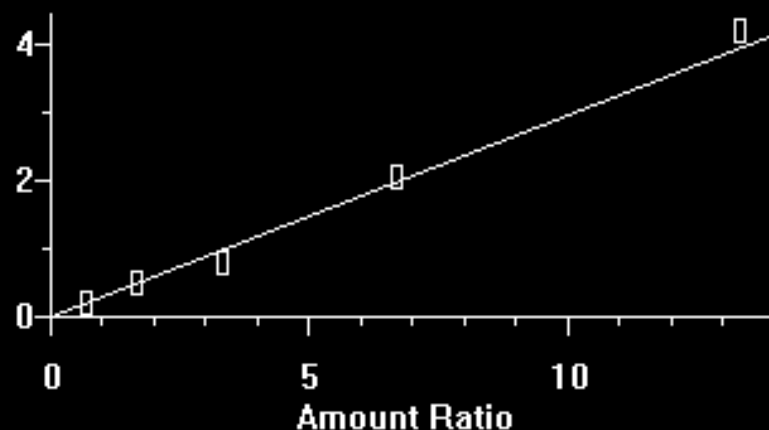
Response Ratio



t Calibration Curve

ACETONE

Response Ratio



Amount Ratio	Response Ratio
1.6666667	0.50078389
3.3333333	0.82426608
6.6666667	2.06536167
13.3333333	4.21427645
26.6666667	5.65280451
0.6666667	0.20453820

Resp Ratio = 2.82e-001 * Amt

RF Rel Std Dev = 15.0% Curve Fit: Avg RF

Amount Ratio	Response Ratio
1.6666667	0.50078389
3.3333333	0.82426608
6.6666667	2.06536167
13.3333333	4.21427645
0.6666667	0.20453820

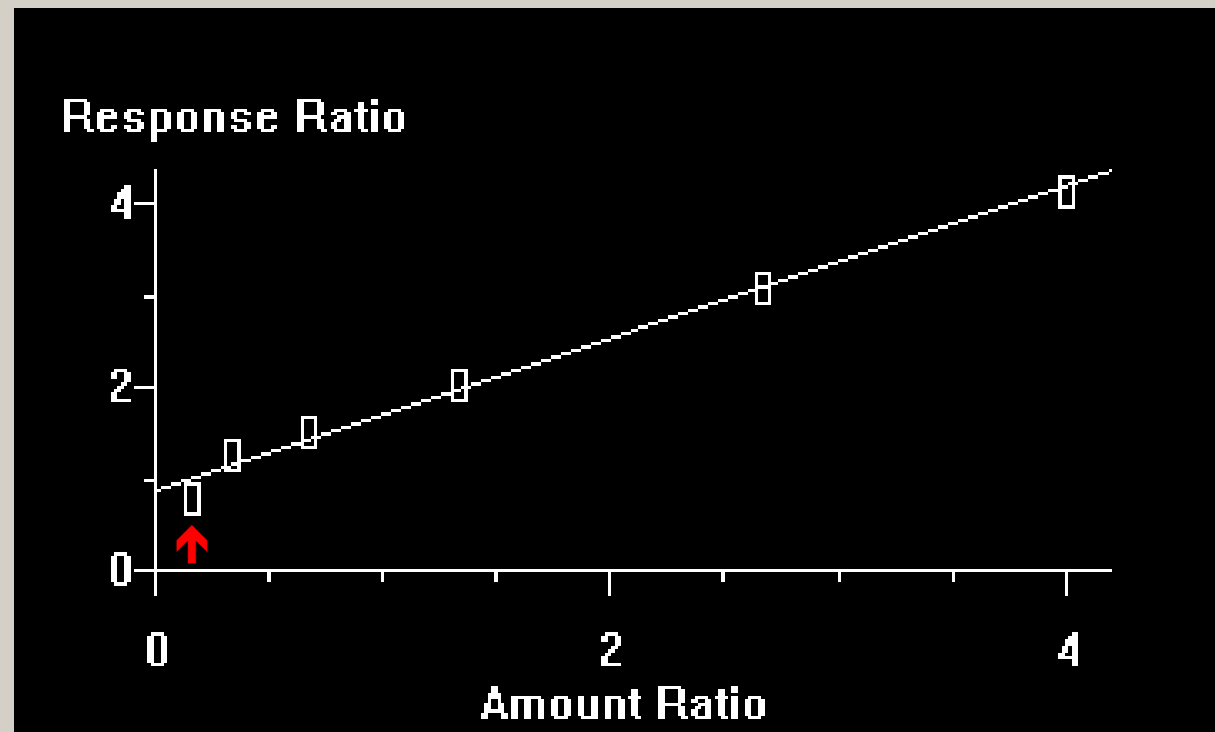
Resp Ratio = 2.96e-001 * Amt

RF Rel Std Dev = 9.4% Curve Fit: Avg RF

Dropping The High Standard



Possible Bias On Lower Calibration Points From A Linear Regression Curve Model



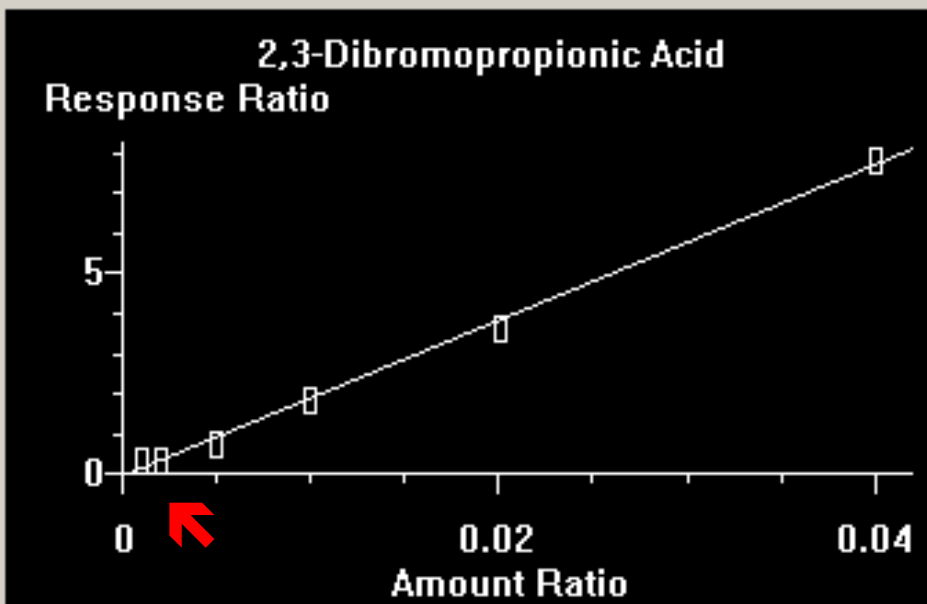
Amount Ratio	Response Ratio
0.16666667	0.80000000
0.33333333	1.26666667
0.66666667	1.53333333
1.33333333	2.03333333
2.66666667	3.06666667
4.00000000	4.13333333

$$\text{Resp Ratio} = 8.19\text{e-}001 * \text{Amt} + 8.87\text{e-}001$$

Coef of Det (r^2) = 0.990 Curve Fit: Linear



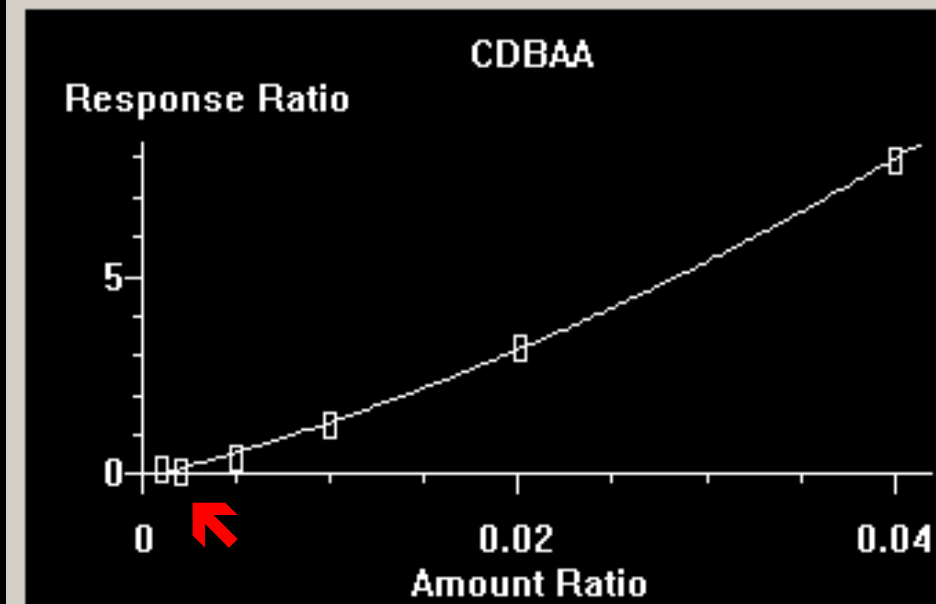
Calibration Curve



Amount Ratio	Response Ratio
0.00100000	0.37574992
0.00200000	0.34124722
0.00500000	0.78283251
0.01000000	1.85402583
0.02000000	3.62955801
0.04000000	7.82171699

Resp Ratio = $1.94\text{e}+002 \cdot \text{Amt} - 5.45\text{e}-002$
 Coef of Det (r^2) = 0.997 Curve Fit: Linear

Calibration Curve



Amount Ratio	Response Ratio
0.00100000	0.12703862
0.00200000	0.09135492
0.00500000	0.41457116
0.01000000	1.24084806
0.02000000	3.22677675
0.04000000	7.94040903

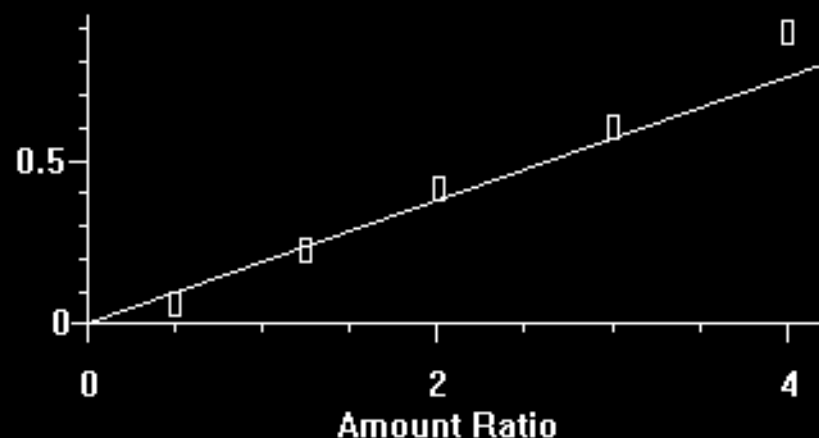
$R = 1.94\text{e}+003 A^2 + 1.25\text{e}+002 A - 1.37\text{e}-001$
 Coef of Det (r^2) = 0.999 Curve Fit: Quadratic



Calibration Curve

4,6-Dinitro-2-methylphenol

Response Ratio



Amount Ratio	Response Ratio
2.00000000	0.41394609
4.00000000	0.89421901
0.50000000	0.08264594
3.00000000	0.59957913
1.25000000	0.22991571

Resp Ratio = 1.87e-001 * Amt

RF Rel Std Dev = 21.1%

Curve Fit: Avg RF

OK

Print

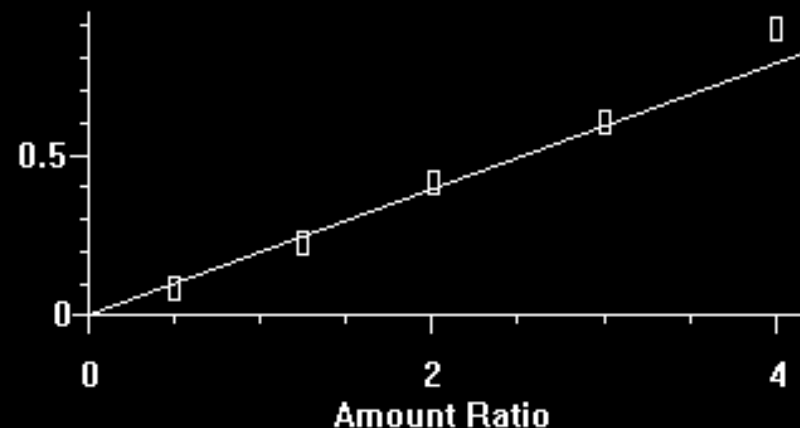
**Failing w/ Computer Integrations
Using Average RF**



Calibration Curve

4,6-Dinitro-2-methylphenol

Response Ratio



Amount Ratio	Response Ratio
2.00000000	0.41394609
4.00000000	0.89421901
0.50000000	0.08264594
3.00000000	0.59957913
1.25000000	0.22991571

Resp Ratio = 1.96e-001 * Amt

RF Rel Std Dev = 11.4%

Curve Fit: Avg RF

OK

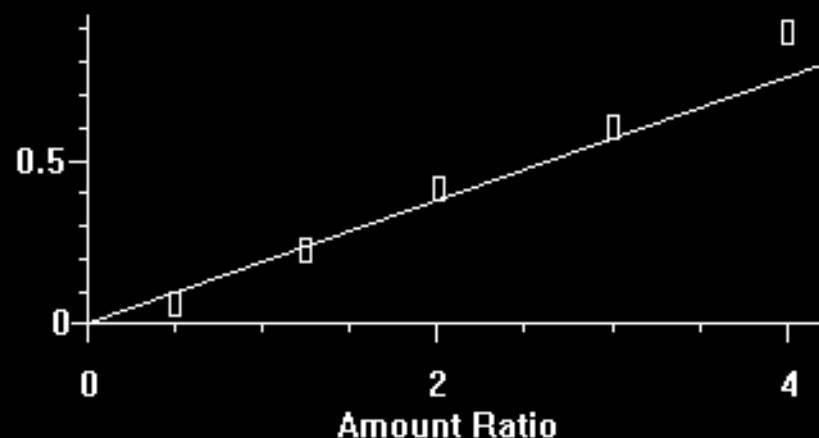
Print

**Passing w/ Inappropriate “m”
Integrations Using Average RF**

Calibration Curve

4,6-Dinitro-2-methylphenol

Response Ratio



Amount Ratio	Response Ratio
2.00000000	0.41394609
4.00000000	0.89421901
0.50000000	0.06071812
3.00000000	0.59957913
1.25000000	0.22991571

Resp Ratio = $1.87e-001$ * Amt

RF Rel Std Dev = 21.1%

Curve Fit: Avg RF

OK

Print

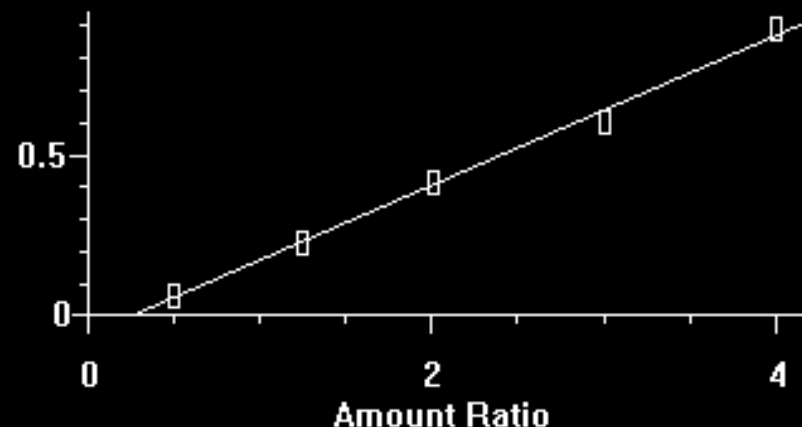
**Failing w/ Computer Integrations
Using Average RF**



Calibration Curve

4,6-Dinitro-2-methylphenol

Response Ratio



Amount Ratio	Response Ratio
2.00000000	0.41394609
4.00000000	0.89421901
0.50000000	0.06071812
3.00000000	0.59957913
1.25000000	0.22991571

Resp Ratio = $2.33e-001$ * Amt - $6.15e-002$

Coef of Det (r^2) = 0.995

Curve Fit: Linear

OK

Print

**Passing w/ Computer Integrations
Using Linear Fit**